Behavioral Bias of Traders: Evidence for the Disposition and Reverse Disposition Effect*

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Abstract

We find evidence for the disposition effect for buy strategies, but a reverse disposition effect for sell strategies, besides a dependence of the disposition effect on the investor sophistication. The disposition effect also depends strongly on the time horizon of a trading strategy. We develop a model in which informed traders with a behavioral bias and rational traders interact to generate the reverse disposition effect for traders following a sell strategy as well as rational traders responding to the behavioral bias of other traders.

Keywords: Behavioral bias, investor characteristics, trading strategies JEL Classification: G11, G14

1 Introduction

It is a widely accepted empirical fact that investors tend to hold on to loosing stocks for longer than to winning stocks. This observation was first reported by Shefrin and Statman (1985) and called the disposition effect, whose existence has been confirmed by a large number of empirical investigations, see e. g. Ferris et al. (1988), Odean (1998), Barber and Odean (1999), Grinblatt and Keloharju (2001), Boebel and Taylor (2000), Barber et al. (2003), Garvey and Murphy (2004), Kaustia (2004a), Frino et al. (2004), Shu et al. (2005), Locke and Onayev (2005), among others. While most of these investigations explore the behavior of all market participants on aggregate, regardless of their characteristics, market conditions or stock characteristics, a few papers have also attempted to find evidence for differences between traders. Conducting such investigations, Shapira and Venezia (2001) find that individual investors are more affected by the disposition effect than professional (i. e. institutional) investors, although both exhibit a disposition effect. Similarly, Dhar and Zhu (2006) and Feng and Seasholes (2005) find that the disposition effect reduces with investor sophistication and experience, a finding which is disputed for Chinese traders by Chen et al. (2004). Furthermore, Brown et al. (2005) find that traders with larger investments and those making more long-term investments are less affected by the disposition effect. Finally, Ranguelova (2001) finds evidence that the disposition effect is only present for traders investing in large firms.

Investigations of the disposition effect have in the past often been held back by the amount of information that is available in databases, not only on the transactions of individual traders but in particular their characteristics, although such information has recently also become available, e. g. in Feng and Seasholes (2005). In this paper we use a database which allows us to trace the trading behavior of individual investors, but also record other characteristics explicitly, such as their age and gender, or implicitly, e. g. their trading activity or wealth. Using this database allows us to investigate the dependence of the disposition effect on a large number of these characteristics, which has so far not been conducted in the literature.

The origin of the disposition effect is commonly seen in prospect theory as developed by Kahnemann and Tversky (1979), see e. g. Odean (1998), Garvey and Murphy (2004) or Kyle et al. (2005) for a derivation of the disposition effect from prospect theory. The main idea is that the S-shaped value function induces risk aversion for winning stocks and risk seeking for loosing stocks, relative to a reference point which is usually the price at which the stocks have been bought. This risk aversion causes the trader to realize any profits quickly to avoid them turning into losses while risk seeking causes to let losses run in hope of a recovery, thus inducing the observed disposition effect. Recent evidence in Zuchel (2001) and Kaustia (2004b), however, suggests that prospect theory alone is insufficient to explain the observed patterns and we have to include mental accounting or other psychological factors for a full explanation. Regardless of the details of the origin of the disposition effect, there is a general agreement that it constitutes a behavioral bias.

Our paper develops in the coming section a model which introduces a behavioral bias into the demand of non-rational traders while a small fraction of rational traders exploit this bias. In contrast to other models of the disposition effect, it merely requires that traders tend to sell in rising markets and buy in falling markets, thus act as contrarians. In the case of buy strategies, introducing this bias causes the disposition effect for non-rational traders while for rational traders we observe a reverse disposition effect, i. e. a tendency to sell loosing stocks quicker than winning stocks. For sell strategies both traders exhibit a reverse disposition effect, albeit of a different magnitude.

We test our hypothesis with the help of a database recording not only the trades of individual traders, but also a large number of other characteristics such as their age or sex. It is found that not all traders exhibit a disposition effect as usually proposed in the literature. Not only is the strength of the disposition effect different among traders but also do some traders show a reverse disposition effect. These results are consistent with the model we develop in this paper and represent findings not previously reported in the literature.

The next section develops the theoretical model while section 3 describes the data and their treatment. The main empirical results are presented in section 4 before section 5 concludes the findings.

2 Rational response to the presence of biased traders

This section develops a model of traders exhibiting a behavioral bias and rational traders attempting to exploit this behavioral bias. We will show how this structure leads in some cases to the disposition and in other cases to the reverse disposition effect. Based on this model we develop four hypotheses which will be investigated empirically in this paper.

2.1 A model with biased and rational traders

We consider a market in which a single asset is traded in a single trading round before it is liquidated at the fundamental value. With the current price, i. e. the price prior to trading, being denoted p_0 , all traders know the distribution of the fundamental value as $v \sim N(p_0, \sigma_v^2)$.

Let us assume two groups of traders to be present in the market, noise traders and informed traders. Noise traders submit orders of random sizes to the market, $u \sim N(0, \sigma_u^2)$, while informed traders exploit their perfect knowledge of the realization of the fundamental value v.

There are two types of informed traders, firstly we have fully rational risk neutral traders, who maximize their expected profits from trading using all available information. The second type of informed traders exhibit a behavioral bias which allows us to generate the disposition effect. We assume that the demand of these traders consists of two elements, a rational element and the bias. Suppose there are a fraction of γ informed traders with a bias. All traders of a group are behaving as a single trader, i. e. maximizing joint

profits, allowing us to eliminate the effects of competing traders within types.

As in Kyle (1985) we propose that the price is a linear function of the excess demand, where x denotes the demand of informed traders and u the aggregate demand of noise traders:

$$p = \mu + \lambda(x + u) \tag{1}$$

and $x = \gamma x_B + (1 - \gamma)x_R$ with x_B denoting the trading demand of the biased traders and x_R the trading demand of the fully rational traders. The trading demand of the fully rational traders is similar to Kyle (1985) assumed to be linear in the fundamental value:

$$x_R = \alpha + \beta v. \tag{2}$$

The demand of the biased traders is given as follows with p denoting the equilibrium price in the current trading round:

$$x_B = \xi(v - p_0) - \phi(p - p_0). \tag{3}$$

The first term in this expression captures the rational element of the demand while the second term captures the bias with $\phi \geq 0$ indicating the relative strength of this bias. If $\phi = 0$ the trading demand is consistent with the result in Kyle (1985) if we set the parameter ξ equal to the corresponding value there.

Suppose that $v > p_0$ and thus rational traders should hold a long position of the stock. Hence for $\phi > 0$ the demand of traders is reduced in rising markets $(p > p_0)$ and increased in falling markets $(p < p_0)$. If we assume that the traders' previous demands are random and have a mean of x_B^* and the ex-ante expectation of the demand is also x_B^* , we should observe that traders are more likely to sell (parts) of their holdings in rising markets as $Prob(x_B < x_B^*)$ is increasing with the bias, realizing profits with the sale. The trader will buy additional stocks in falling markets, not realizing losses because $Prob(x_B < x_B^*)$ is decreasing with the bias. These considerations clearly show that biased traders will exhibit a disposition effect.

In the case that $v < p_0$ rational traders should hold a short position of the stock. If $\phi > 0$ the demand of traders in rising markets $(p > p_0)$ is reduced

even further, hence using the same arguments as above, they are less likely to liquidate their short position and tend not to realize their losses. In falling markets $(p < p_0)$ this effects is reversed, traders are more willing to liquidate their short position and realize any gains. We should thus observe traders more likely to realize profits than losses, showing also the disposition effect.

As our aim is to investigate trading strategies, we will have to interpret any long and short positions of traders relative to some benchmark holding, which we will choose as the holdings at the beginning of the trading strategy. Thus a long position will correspond to a holding exceeding this benchmark and a short position to a holding below the benchmark. Hence long positions are equivalent to buying additional shares and will thus also be referred to as buy strategies. Similarly short positions correspond to selling shares and will also be called sell strategies. This interpretation does not violate the assumption of rational traders in our model as it is reasonable to assume that multiple pieces of information are available with different time horizons. If the piece of information we consider in our model is relatively short-lived compared to another piece of information, we find that the initial position is determined by this long-lived information and the trader makes adjustments to exploit the short-lived information he has received. This reasoning allows us to obtain the above interpretation of long and short positions.

While we can characterize the behavior of biased traders from our assumptions as outlined above, we will now have to focus our attention on the behavior of the fully rational traders. These traders seek to maximize their profits from trading which are given by

$$\pi = (v - p)x_R,\tag{4}$$

and the trader seeks to maximize $E[\pi|v]$, his expected profits given the information he has received. Using these assumptions we can derive the following proposition on the trading demand of rational informed traders.

Proposition 1. The trading demand of rational traders is given by

$$x_R = \xi(v - p_0) - \hat{\phi}(E[p|v] - p_0),$$

where

$$\widehat{\phi} = -\frac{1 + \lambda \gamma(\phi + \xi) - 2\lambda \xi}{1 + \lambda \gamma(\phi + \xi)} \frac{1 + \lambda \gamma \phi}{\lambda(1 - \gamma)} < 0.$$

Proof. The proof is provided in appendix A.1.

With $\hat{\phi} < 0$ we observe a different behavior of rational investors compared to that of biased investors. It implies that for long positions $(v > p_0)$ rational traders tend to increase their demand in rising markets $(p > p_0)$ and decrease it in falling markets $(p < p_0)$. In accordance with our previous interpretation we would thus observe a tendency to not realizing profits while realizing losses more easily. We should therefore observe a reverse disposition effect of rational traders.

For the case of short positions $(v < p_0)$ the demand in rising markets $(p > p_0)$ is reduced further while in falling markets $(p < p_0)$ it actually increases. We thus also observe a reverse disposition effect for rational traders. As it is easy to show that $\hat{\phi} \leq \phi$, we see that the disposition effect of rational traders is more pronounced than that of biased traders.

The following proposition obtains the result for the aggregate behavior of the market as commonly used in the empirical literature.

Proposition 2. If there are sufficient biased traders in the market, i. e. $\gamma > \frac{\xi - \beta}{\xi - \beta - \phi \beta}$ the market on aggregate will exhibit a disposition effect and a reverse disposition effect otherwise.

Proof. The proof is provided in appendix A.2.
$$\Box$$

We have thus recovered in our model the widely reported disposition effect in markets dominated by trading strategies involving long-positions, as is commonly the case. We might also reasonably infer that short positions are more likely to be followed by experienced traders and they will thus show a reverse disposition effect.

2.2 Development of testable hypotheses

We can now use the model analyzed above to derive hypotheses which can be empirically tested. Even if we know the identity of traders and many characteristics of them, we will obviously not be able to derive directly whether they are rational or biased. It is reasonable, however, to suppose that the more experience traders have in the markets, the less likely they are to be affected by behavioral biases.

Using our inferences on the behavior of traders from the theoretical model in section 2.1 we can directly derive our first two hypotheses:

Hypothesis 1 Trading strategies show a disposition effect for inexperienced traders and a reverse disposition effect for experienced traders.

Hypothesis 2 Trading strategies encompassing short positions show a reverse disposition effect.

With the result on the aggregate behavior of traders from proposition (2), not distinguishing between experienced and unexperienced traders, we easily derive our third hypothesis:

Hypothesis 3 On aggregate we observe a disposition effect in the market.

Our model for simplicity assumed that traders are either biased or rational. We would in reality, however, expect that traders are affected to different degrees by behavioral biases. If we reasonably assume that traders are less affected by behavioral biases and becoming more rational the more experienced they are, we should also observe an equivalent implication for the disposition effect, forming our final hypothesis:

Hypothesis 4 The more experienced a trader is, the smaller the disposition effect. For very experienced traders we should observe a reverse disposition effect.

With these hypotheses we can now proceed to empirically investigate the validity of the model hypotheses as derived here. It will only be necessary to define a measure for the disposition effect as well as a measure for the experience of the traders.

3 Data and Methodology

This section describes the institutional setting of the markets and trades analyzed. The Chinese stock market, which we investigate in this paper, has some relevant peculiar characteristics which are worth pointing out to readers not familiar with this market. We continue then to describe the contents of the database used before presenting a measure of the disposition effect.

3.1 Stock exchanges in China

The People's Republic of China (PRC) has two stock exchanges - the Shanghai Stock Exchange (SHSE) and the Shenzhen Stock Exchange (SZSE), which were established in November 1990 and April 1991, respectively. Stocks are listed only on one exchange and not cross-listed. By the end of 2003 there were 1,278 companies listed on the SHSE and the SZSE with a total market capitalization of US\$523 billion. The Chinese stock market has in the past been characterized by a strict segmentation between domestic and foreign investors. Companies issued category A shares to domestic investors and category B shares to foreign investors. These shares were subsequently traded separately and investors were restricted to their category of shares. These two categories have been partially merged by allowing domestic investors to trade either category since February 2001.

Both exchanges use an electronic open limit order system and offer continuous trading Mondays-Fridays from 9.30am to 11.30am and 1.00pm to 3.00pm, except on public holidays. Investors can submit their limit orders, market orders are not permitted, through computer terminals that show the current

best five limit orders on both the bid and ask side. Orders to be exercised at the opening call auction are submitted between 9.15am and 9.25am. The opening price is calculated such that the transaction volume is maximal. Unexecuted orders are automatically stored in the limit order book for the continuous trading that begins at 9.30am. The closing price of each stock is the volume-weighted average price during the last minute of trading, or the price of the last trade if there is no trading during the last minute. The selling of stocks follows a "T+1" rule, which means that a stock which is bought today, cannot be sold until tomorrow, i. e. the next trading day. Once a stock is sold, the income from this sale can be reinvested into the stocks on the same day, but it cannot be drawn out again until the next trading day.

3.2 Database overview

According to Chinese law an individual can open only one stock account on each stock exchange using his/her National Identity Card (NIC). Nevertheless, some large investors collect NICs from the public, e. g. family members or friends but also strangers, and open many stock accounts. Thus one investor may actually have multiple stock accounts, which effectively help them to escape from supervision and facilitate their trading. It allows them to buy and sell the same stock within a trading day, which formally is prohibited by the "T+1" rule. One investor, however many stock accounts he/she has, can normally only have one fund account with a brokerage company. Thus we can identify the investor through the fund account rather than the stock account and eliminate any bias in the data that might be generated by relying on stock accounts.

Our database consists of the records of these fund accounts from one brokerage house. We find around 12,500 stock accounts in the database, but only 4,700 fund accounts, which also denotes the number of investors in our database. About 400 fund accounts are associated with more than two stock accounts, controlling a total of 5,700 stock accounts, nearly half of the stock accounts in our database. Only through examining the fund accounts are

we able to track the precise value and portfolio of investors at any time in the sample period and inquire into their trading behavior. Previous studies had to rely on stock account data and were thus not able to analyze the complete behavior of a single investor, which can easily give rise to biases in the observed effects. Our access to fund account data should significantly reduce any such bias.

After the investors open their fund account, they conduct all their transactions through the same branch of the brokerage company, buying and selling of shares as well as transferring cash in and out of the account, hence we have access to all relevant information about transactions the investor conducts. A typical investor in China is not able to invest outside the PRC and since mutual funds are relatively new in the PRC, we effectively know the investors' total investments in equity markets and all their trades conducted. Although investors could open accounts with multiple broker houses, this is only observed for large institutional investors in order to escape the supervision of the stock exchange and its effect can be neglected for our purpose.

The database includes many pieces of information on the trades of investors as well as personal characteristics:

Order submission For each order submitted by a trader we have recorded the time, price, stock code, quantity, bid/ask at the time of submission, associated fund account and stock account number of the investor. The database also includes information on the way the investor did submit the order, e. g. by telephone, internet or in the offices of the brokerage firm, and whether and when the limit order has been canceled.

Transactions Each transaction is timed, has the associated fund account number, stock account number, stock code, number of shares traded, purchase or sale price and transaction costs (fees and taxes).

Accounts The database contains all fund accounts and their corresponding stock accounts. The number of stocks in the investor's stock accounts after every transaction and the remaining cash in his fund account are

recorded. The database also covers any other changes of these accounts through non-trading activities, e. g. withdrawal or transfer of cash.

Investor information The database has additional information on each investor associated with a fund account. For each individual investor we know his/her gender, age, and the date of opening the fund account.

Institutional investors Apart from individual investors there are also 84 institutional investors in our database. We distinguish between institutional and individual investors as follows: when opening a stock account, different types of investors are marked differently. At the SZSE, the stock accounts for institutional investors are marked by "08" for the first two characters of the account number; at the SHSE, the institutional stock accounts are marked "B" or "D" as the first character of the account number. If any stock account associated with a fund account implies it being an institutional trader, the trades in all stock accounts are deemed to be institutional trades, even if other stock accounts imply it to be an individual investor.

Aggregating the information on all stock accounts associated with each fund account, we can thus identify all orders submitted and trades conducted by an individual trader. We are also able to determine his total wealth invested into shares, as well as which shares he holds in what quantities at any point in time and the amount of cash held in the fund account.

As our data are drawn from only a single branch of a brokerage house, we have to be cautious as to whether the results obtained here are representative of the entire market, although we have no evidence for any bias in the results from emerging from this restriction. Nevertheless, Feng and Seasholes (2004) point out that investors tend to trade local companies, but it remains unclear in as much this affects the behavior we are studying in this paper. We might infer that for this investigation any bias due to the limitation of data from a single branch are less relevant from the following arguments. Firstly, investors in China usually choose more or less randomly between brokerage houses and there are no significant differences between investors

in different brokerage companies. Brokerage houses mainly play the role of allowing investors to trade on stock exchanges, their service quality could be evaluated by the speed and accuracy of information transfer, which are almost identical across different brokerage firms. Other auxiliary functions, such as providing computer terminals, are also widely spread and do not distinguish brokerage houses from each other. Thus brokerage in China is a fully competitive market and we should not expect any significant differences between them. The second argument for our database being representative is that the statistics of our database do not show any abnormal properties compared to the market as a whole. We are thus confident about it being representative of the market and its appropriateness for use in an academic study with the scope we conduct here, despite the fact that the stocks traded themselves might not be representative.

3.3 Data statistics

In detail, our database contains information on 4,619 investors from a major Chinese brokerage company in a large Chinese city. We find information on all trades of each investor in any of the 1,226 stocks between 8 September 1999 and 30 April 2003. The database allows us to identify each trader with its personal characteristics such as age, sex, total investments made into each stock, amount of cash deposited with the securities house, and number of stock accounts, among others. In total we record 556,174 trades for 2,886,734,942 shares with a total value of 39,227,195,202 RMB (approx 4.6bn US\$), representing about 0.25% of the total trading volume of the two Chinese stock exchanges combined during that time period. Table 1 provides additional descriptive statistics of our database, split into institutional and private investors.

We see from this table that the number of institutional investor in the sample is not only very small but they are holding only about 6 stocks and having a capital of only US\$ 2.4m on average with the borkerage house, suggesting that these investors have accounts with other brokerage houses, too. Despite this we have no evidence to suggest that the relevant aspects of their behavior

which we investigated is affected by this observation.

3.4 Data handling

In order to investigate the disposition effect it is essential that we are able to determine two key variables, the duration of a trade and the profits generated. Rather than focusing on individual trades, it would be more appropriate to analyze trading strategies as e. g. a large order is commonly split into a number of smaller orders to facilitate its exercise. We might also find that the trader wants to hide his intentions and thus might provide liquidity by posting repeatedly buy and sell orders such that only over time a position slowly builds up.

In the absence of any information on the motivations for trades, we determine the start and end points of a trading strategy by focusing on the holding of a specific stock (inventory). If the change in the inventory reverses, i. e. if it increases (decreases) after it previously has been decreasing (increasing), we record the time of this reversal as the starting point of a new trading strategy. The end point of the trading strategy is then determined by the first time the inventory reaches the same level as when the trading strategy started.

Using this methodology enables us to investigate the possibility that a trader might follow a number of trading strategies at the same time, e. g. he might have bought shares in the past in anticipation of a future increase and while the price slowly adjusts he conducts some trades to provide liquidity to the market, which would be a very short-term strategy complementing the more long-term strategy. Alternatively, he might also want to exploit any short-lived information he has acquired, while still pursuing his long-term strategy. Figure 1 illustrates this definition of buy and sell strategies using a fictitious evolution of the stock holdings.

While this methodology only gives the total length of a trading strategy, our interest is the average length the stocks are held during a trading strategy.

Using the first-in first-out methodology we therefore determine the length of each trade within the trading strategy and then take the weighted average of these lengths as the *duration* of the trading strategy; the weights we use are given by the relative trade sizes. This methodology in in contrast to Feng and Seasholes (2005) in that they only consider the time from the first by to the first sale of the stock, while we explicitly take into account the average length with which a trader was invested into the stock and enable to consider multiple strategies of a trader such as long-term and short term strategies.

With this definition of a trading strategy and its duration we can not only analyze the disposition effect for various characteristics of investors, stocks or market conditions, but also characteristics of the trading strategy itself. Most importantly, we will be able to distinguish strategies involving reducing the inventory (sell strategies, short positions in our theoretical model) and those increasing the inventory (buy strategies, long positions).

In order to determine whether a trading strategy has produced a profit or loss, we firstly calculate the profit the trading strategy has generated and then compare this with the profits a buy-and-hold strategy would have yielded on the average inventory. If the profits of the trading strategy exceed those of the buy-and-hold strategy, we call the trading strategy profitable, and loss-making otherwise.

More formally, let there be N trades during a trading strategy, each trade n at time t_n having a trading volume of q_n . with the price of the asset at trade n being denoted p_n we easily obtain the profits from a buy and hold strategy as:

$$\Pi^{BAH} = \frac{p_N - p_0}{t_N - t_0} \sum_{n=1}^{N} (t_n - t_{n-1}) q_n.$$
 (5)

The profits from trading are given by

$$\Pi^{T} = \frac{1}{t_N - t_0} \sum_{n=1}^{N} (t_n - t_{n-1}) p_n q_n.$$
 (6)

We say that a trading strategy is profitable if $\Pi^T > \Pi^{BAH}$ and loss-making otherwise. Out of the 96088 trading strategies identified in our sample, 48899 were profitable and 47189 loss-making, showing a reasonable balance between

them and giving further evidence of the appropriateness of our measure.

In order to measure the disposition effect we have to compare the duration of trading strategies generating profits (D_+) with those generating losses (D_-) . The size of the disposition effect we determine by

$$DISPO = 2\frac{D_{-} - D_{+}}{D_{-} + D_{+}}. (7)$$

The larger this measure, the more pronounced the disposition effect and for negative values we find the reverse disposition effect. This measure now allows us to investigate our database empirically for the presence and relevance of the disposition effect. The only drawback of this measure of the disposition effect is the requirement to aggregate a number of trading strategies according to some criteria. Given the size of our database we do not expect this to be a serious limitation to our analysis. In estimating DISPO we estimate D_+ and D_- as the median durations in the investigated category, allowing for a robust estimation of the effect, eliminating the influence of outliers on the results.

4 Analysis of empirical results

This section analyzes the durations of trading strategies empirically with the aim to evaluate the model and hypotheses proposed in section 2. Throughout this section we aggregate all durations falling into a given category and then analyze the median duration within this category. We will first provide a graphical analysis of the results, supported by results from tables 2 and 3, to gain some intuition for the outcomes before proceeding to a regression analysis in the second part.

4.1 Graphical analysis of results

Our results show very clearly that while buy strategies show the disposition effect, sell strategies are showing the reverse disposition effect as predicted

by our model above, see figure 2. Statistical testing shows that the signs and differences between buy and sell strategies are highly significant, see table 2. The effect that overall we observe a disposition effect can be traced back to the fact that long positions dominate the trading strategies with us observing 40,775 (40,844) profitable (loss-making) buy strategies against 9,000 (7,679) profitable (loss-making) sell strategies. Thus this graph confirms our hypothesis 3.

We furthermore observe from figure 3(a) that more active traders, i. e. those who trade more frequently, are less subject to the disposition effect. We can reasonably suppose that more active traders are more experienced. We also observe in figure 3(b) that institutional investors, usually regarded as more experienced, are subject to the reverse disposition effect while individual traders are subject to the disposition effect. Given that individual traders are much more common than institutional traders, the aggregate effect would again show a disposition effect. As before the described results show a high degree of significance in statistical tests and therefore support our hypothesis 4.

In order to evaluate hypotheses 1 and 2, we have to split our sample into buy and sell strategies. Figure 4(a) shows clearly that for buy strategies individual traders show a disposition effect while institutional investors exhibit a reverse disposition effect, in accordance with our *hypothesis 1*. For sell orders the same figure shows a reverse disposition effect for both, individual and institutional investors, where that of the institutional investors is stronger, as stated in *hypothesis 2*.

Using the trading frequency as a measure for the experience of traders we observe from figure 4(b) that with increasing experience the disposition effect reduces for buy strategies, as we would expect from combining hypotheses 3 and 4. While the results reported thus far satisfy any statistical test at a high significance level, for sell strategies the picture is very unclear and statistically not significant and we are not able to confirm easily the results. This disappointing outcome might be due to the fact that sell strategies are only rarely observed and thus our sample size is too small to yield more

significant results. This, however, merely reflects the relatively rare use of sell strategies by traders, compared to buy strategies.

Another important observation is that most of the reverse disposition effect can be found for short-term trading strategies, lasting up to an hour, while a significant disposition effect can only be found for trading strategies that last more than three months. Trading strategies of intermediate length do not show any significant bias as shown in figure 5. This picture is consistent for individual and private investors. It is reasonable to assume that experienced traders are employing more short-term strategies in order to exploit new short-lived information they receive as well as the behavioral bias of less experienced traders. Our data show that institutional traders as well as active traders with a high trading frequency have a proportionally larger fraction of trades with a short duration. We can thus conclude that the reverse disposition effect for short duration is consistent with our *hypothesis 4*.

It is also possible to employ other measures of investor experience, such as their age and sex. We observe from figure 6(a) that female traders are more affected by the disposition effect than male traders. Furthermore, figure 6(b) shows younger traders are slightly less affected than older traders. We see here again the clear difference to institutional investors, who are included in both cases in the category labeled "NA". These differences in the disposition effect can easily be explained with the experience of these different categories of traders. These inferences from the presented graphs can be supported by statistical tests as reported in table 4.

Besides those characteristics reported here, we also considered other variables that might be used as an indicator of their experience, such as their total capital with the brokerage firm, trading volume, trading activity as measure by the ratio of their trading volume and their capital, the number of stock accounts held by an investor, the time since the investor opened his fund account, the size of his position, or the size of the company. In most cases the relationships between those variables and the disposition effect was less clear than using the variables we used in the graphs above and we were not able to gain any further insights from using these variables.

The relationships established in this section are in agreement with our hypotheses as developed in section 2, but we might gain further insights by employing a regression analysis to explore the relative importance of the different variables. This would also enable us to take into account the possibility that several variables can be correlated, e. g. trading frequency and age might be strongly correlated and thus age does not provide additional information to explain the disposition effect. Therefore the coming subsection explores a regression analysis on our dataset.

4.2 Regression analysis

Using the ideas generated from the graphical analysis above we can now continue our analysis with a regression of the appropriate variables on the disposition effect (DISPO). We use the trading strategy (STRAT) which is 1 for a buy strategy and zero for a sell strategy, the trading frequency (FREQ) ranging from 1 for the highest decile to 10 for the lowest decile within our sample, the duration of the strategy (DURA) ranging from 1 for durations of less than an hour to 5 for durations of more than three months, the age of the investor (AGE) ranging from 1 for traders below 30 years to 5 for traders above 60 years, the sex (SEX) which 1 for male and zero for female, and whether the trader is an institutional investor or individual investor (INST).

We first assigned each trading strategy into one category we are able to generate from the division of our explanatory variables. For each of these categories we calculated the disposition effect (DISPO). As not all categories had at least one profitable and one loss-making strategy, we were not able to obtain data for all categories, thus reducing the sample size significantly. Although the explanatory variables show some significant correlations, most notably between the trading strategy (STRAT) and the SEX (SEX) for individual investors as well as between the trading frequency (FREQ) and the investor type (INST), see table 5, this does not affect the results reported in table 6.

The regression shows mixed support for our hypothesis 4 by assigning a

statistically significant sign to the coefficient of FREQ, the trading frequency, only for institutional investors, while the result for individual investors is much less significant. Other measures we had investigated, the age and whether we have an individual or institutional trader as well as the sex of the trader do not show any statistically significant coefficients. This result clearly indicates that experience is better expressed with other variables and the found relationships in the graphical analysis are arising simply as the consequence of a correlation between them rather than causality.

We also see that the coefficient of the trading strategy, STRAT, is significantly positive for individual investors, confirming our hypothesis 3. We can thus rule out the possibility that the result was due to more unexperienced traders choosing buy over sell strategies, there is, however, no statistical significance for this variable for institutional investors. This result may be driven by the small sample size for institutional investors.

A somewhat less obvious result of the regression is the relatively large positive coefficient of the duration (DURA). Although we had found the proposed relationship in figure 5, our hypothesis at that stage had been that there might be a strong correlation between the experience of traders and the duration. We see here, however, that the effect of the duration does not diminish greatly for individual investors if we include the trading frequency (FREQ) into the regression as should be expected if our initial inferences had been correct. Our model does not allow for differences in the duration to impact on the disposition effect. Such an effect might, however, arise if we allow for investors to trade on multiple pieces of information with different time horizons. As we have not developed such a model, this interpretation must remain speculative and requires to develop an appropriate model for The pronounced differences between individual and institutional investors may also indicate that for individual investors the duration of their trading strategies might be a more appropriate measure of their experience with more experienced investors following more long-term strategies, while for institutional investors this can be said of the frequency of trading.

Although the obtained R^2 is in all cases very low, testing for overfitting of the

data using the method in Foster et al. (1997) clearly rejected this hypothesis at a high level of significance, apart from the regression in table 7(a). In doing this test we assumed that there are 15 potential variables to explain the outcome, the number of variables we could obtain from our database for characteristics of investors, trading strategies, stocks, and market conditions. One contributory factor to these low R^2 is the classification of data to explain a continuous variable; this classification of data must necessarily reduce the quality of our regression. The rejection of overfitting and the significance of coefficients serves as a good indicator for the validity of our results.

In order to investigate hypothesis 1 and 2 we have to split our sample into those data arising from following a buy and those following a sell strategy. The results of these two regressions are shown in table 7.

As we clearly see from table 7 the regression for buy strategies again shows a statistically significant positive coefficient associated with the duration of trading strategies (DURA), supporting hypothesis 1 with our interpretation of the duration as a measure of investor experience as detailed above. the small sample size for institutional investors does not give any statistically significant results.

The regression for short positions or sell strategies as shown in table 7 shows the opposite sign for the duration of the trading strategies (DURA) for individual investors as is consistent with hypothesis 2 after the foresaid. Again we find no statistically significant results for institutional investors.

We also investigated whether the presence of infrequently trading investors had a significant impact on the results reported here. To investigate this problem we included a dummy variable into the regressions which eliminated the effect of the investors with the lowest 10% and 20% of trading frequency. It turned out that the results were nearly identical. Furthermore, there is also no impact on the outcomes from the fact that $DISPO \in [-2; 2]$ as the data used do not approach the boundaries too close and also the regressions imply no such approach.

We can summarize this section by stating that while our empirical investigation found strong support for hypotheses 3 and 4, the evidence for hypothesis 1 was much weaker and for hypothesis 2 inconclusive. We found clear evidence for the existence of a disposition effect for some traders while others showed a reverse disposition effect, which has thus far not been reported in the literature with the exception of Ranguelova (2001) for small companies. We found, however, no evidence that the size of the company, measured by its market capitalization, has any effect on our outcome. In that sense it provides a new finding to the literature. However, we found another explanatory variable, the duration of a trading strategy which has not been reported before. Although we present a hypothesis to its effect, a full explanation of its origin and interpretation awaits further research.

5 Conclusions

In this paper we found evidence for the dependence of the disposition effect and reverse disposition effect on characteristics of the traders and their trading strategies, results which have not been reported in the literature before. Access to a unique database which allows us to investigate a wide range of characteristics of investors enables us observe that traders following a buy strategy exhibit the disposition effect while those following a sell strategy show a reverse disposition effect. Without distinguishing between these two trading strategies we confirm the usual disposition effect of traders. Our data also provide evidence that the experience or sophistication of traders affects the size of the disposition effect in line with the established literature. Furthermore we find a strong influence of the length of a trading strategy on the disposition effect; short-term strategies yield the reverse disposition effect while long-term strategies the disposition effect.

We explain the differences between buy and sell strategies using a model based on the auction model developed in Kyle (1985), modifying it to allow for some informed traders to exhibit a behavioral bias which causes them to sell in rising markets and buy in falling markets, acting as contrarian investors. Rational investors will exploit this bias and together create the empirically observed outcome of the disposition and reverse disposition effect both being present in the market.

One result we obtain from our dataset is that the length of the trading strategy is an important factor for the determination of the disposition effect. Further research is required to find a reasonable explanation for this result which we cannot derive from the model developed in this paper. Our research also shows the importance of evaluating the characteristics of traders as well as their trading strategies when investigating the disposition effect, and most likely other behavioral biases alike. This suggests future research should pay more attention to these characteristics rather than looking only at aggregate data for all traders.

A Appendix: Proofs

A.1 Proof of proposition 1

At first we have to note that the price equation as given in (1) is circular with the trading demand x contained in the price through x_B , hence we have to solve for the price in the first instance using (2):

$$p = \mu + \lambda(x+u)$$

$$= \mu + \lambda (\gamma \xi(v-p_0) - \gamma \phi(p-p_0) + (1-\gamma)x_R + u)$$

$$p = \frac{\mu}{1+\lambda\gamma\phi} + \frac{\lambda}{1+\lambda\gamma\phi} (\gamma \xi v - \gamma(\xi-\phi)p_0 + (1-\gamma)x_R + u) .$$
(8)

Inserting this expression into (4) and maximizing the expected profits gives the following first order condition:

$$v - \frac{\mu}{1 + \lambda \gamma \phi} - \frac{\lambda}{1 + \lambda \gamma \phi} \left(\gamma \xi v - \gamma (\xi - \phi) \right) - 2 \frac{\lambda}{1 + \lambda \gamma \phi} (1 - \gamma) x_R = 0, \quad (9)$$

which can easily be solved as

$$x_R = \frac{1 + \lambda \gamma(\phi - \xi)}{2\lambda(1 - \gamma)} v - \left(\frac{\mu}{2\lambda(1 - \gamma)} - \frac{\gamma(\xi - \phi)}{2(1 - \gamma)} p_0\right). \tag{10}$$

By comparing coefficients with (2) we see that

$$\beta = \frac{1 + \lambda \gamma (\phi - \xi)}{2\lambda (1 - \gamma)},$$

$$\alpha = \frac{\gamma (\xi - \phi)}{2(1 - \gamma)} p_0 - \frac{\mu}{2\lambda (1 - \gamma)}.$$
(11)

We can now determine the expected trading demand of the fully rational traders:

$$E[x_R] = \frac{p_0 - \mu}{2\lambda(1 - \gamma)} \tag{12}$$

We also find as a consequence of $E[v] = p_0$ that $E[x_B] = -\phi(E[p] - p_0)$ and obtain

$$E[p] = \mu + \lambda E[x]$$

$$= \mu + \lambda (\gamma E[x_B] + (1 - \gamma) E[x_R])$$

$$= \frac{\mu}{2} + p_0 \left(\frac{1}{2} + \lambda \gamma \phi\right) - \lambda \gamma \phi E[p]$$

$$E[p] = \frac{\mu + p_0 (1 + 2\lambda \gamma \phi)}{2(1 + \lambda \gamma \phi)},$$
(13)

which in turn gives us

$$E[x_B] = \phi \frac{p_0 - \mu}{2(1 + \lambda \gamma \phi)}. (14)$$

Hence we have for the total expected trading demand

$$E[x] = \gamma E[x_B] + (1 - \gamma) E[x_R]$$

$$= \frac{1 + 2\lambda \gamma \phi}{2\lambda (1 + \lambda \gamma \phi)} (p_0 - \mu).$$
(15)

The price is set such that given the order flow it reflects the belief of the fundamental value by uninformed traders:

$$p = E[v|x+u]$$

$$= E[v] + \frac{Cov[v, x+u]}{Var[x+u]} (x+u-E[x+u])$$

$$= p_0 + \frac{\beta\sigma_v^2}{\beta^2\sigma_v^2 + \sigma_u^2} \left(x+u - \frac{1+2\lambda\gamma\phi}{2\lambda(1+\lambda\gamma\phi)} (p_0 - \mu)\right).$$
(16)

Comparing coefficients with (1) we see that

$$\lambda = \frac{\beta \sigma_v^2}{\beta^2 \sigma_v^2 + \sigma_u^2},$$

$$\mu = p_0 - \lambda \frac{1 + 2\lambda \gamma \phi}{2\lambda (1 + \lambda \gamma \phi)} (p_0 - \mu)$$

$$= p_0.$$
(17)

This immediately enables us to solve for α as

$$\alpha = \frac{\lambda \gamma(\xi - \phi) - 1}{2\lambda(1 - \gamma)} p_0 = -\beta p_0.$$
 (18)

We can also combine (17) and (11) to obtain explicit solutions for λ and β , which are of no relevance here.

The demand of fully rational traders is given by

$$x_R = \beta(v - p_0) = \frac{1 + \lambda \gamma(\phi - \xi)}{2\lambda(1 - \gamma)}(v - p_0).$$
 (19)

The expected price of informed investors is from (8) determined as

$$E[p|v] = \frac{p_0}{1 + \lambda \gamma \phi} + \frac{\lambda}{1 + \lambda \gamma \phi} \left(\gamma \xi v - \gamma (\xi - \phi) p_0 + (1 - \gamma) x_R \right)$$
(20)
$$= p_0 + \frac{\lambda}{1 + \lambda \gamma \phi} \left(\gamma \xi + (1 - \gamma) \beta \right) (v - p_0)$$

$$= p_0 + \frac{1 + \lambda \gamma (\phi + \xi)}{2(1 + \lambda \gamma \phi)} (v - p_0)$$

We can now use this result to compare the result in (19) with that of a biased trader. Suppose we also split the demand of the fully rational trader up into a rational and a biased part, where the rational part is identical to that of the biased trader

$$x_R = \xi(v - p_0) - \widehat{\phi}(E[p|v] - p_0).$$
 (21)

The last term denotes the deliberate deviation from the rational demand due to the presence of biased traders. Combining (19)-(21), we obviously get the requirement that

$$\widehat{\phi} = -\frac{1 + \lambda \gamma(\phi + \xi) - 2\lambda \xi}{1 + \lambda \gamma(\phi + \xi)} \frac{1 + \lambda \gamma \phi}{\lambda(1 - \gamma)}.$$
(22)

We see that for this term to be negative it is required that $\xi < \frac{1+\lambda\gamma\phi}{\lambda(2-\gamma)}$. Using the result from Kyle (1985) where $\xi = \frac{1}{2\lambda}$, we see that this relationship is always fulfilled. For $\gamma = 0$, i. e. the absence of any biased traders, the results collapse to that of Kyle (1985) as expected.

A.2 Proof of proposition 2

For the aggregate effect on the total trading demand we can use that $x = \gamma x_B + (1 - \gamma)x_R$ and inserting from (3) and (19) we obtain by noting the result in (20) and the definition of β in (11):

$$x = \gamma x_B + (1 - \gamma)x_R$$

$$= \gamma \xi(v - p_0) - \gamma \phi(p - p_0) + (1 - \gamma)\beta(v - p_0)$$

$$= (\gamma \xi - \beta(\gamma - 1 + \gamma \phi)) (v - p_0).$$
(23)

Dividing the aggregate demand into a rational part and a biased part as before, we can write this as

$$x = \xi(v - p_0) - \widehat{\widehat{\phi}}(p - p_0)$$

= $(\xi - \widehat{\widehat{\phi}}\beta)(v - p_0)$. (24)

Comparing coefficients in (23) and (24) yields immediately that

$$\widehat{\widehat{\phi}} = \gamma \phi + (1 - \gamma) \frac{\xi - \beta}{\beta}.$$
 (25)

We observe that $\widehat{\widehat{\phi}}$ is positive if there are sufficient biased traders in the market:

$$\gamma > \frac{\xi - \beta}{\xi - \beta - \phi \beta},\tag{26}$$

which is less than 1 as it is easy to show that $\xi - \beta \leq 0$. Assuming condition (26) to be fulfilled throughout the remainder of this paper we obtain a disposition effect for long positions and a reverse disposition effect for short positions for the aggregate demand as argued above.

B Appendix: Testing for differences in DISPO

We have two values for the variable DISPO, $DISPO^1$ and $DISPO^2$. We want to test the hypothesis

$$H_0: DISPO^1 = DISPO^2. (27)$$

If we define $\eta = (\ln D_-^1 - \ln D_+^1) - (\ln D_-^2 - \ln D_+^2)$, For $i \in \{1, 2\}$ and $x \in \{+, -\}$ let D_x^i denote the median of the duration of profitable and loss-making trades in the two respective samples, we can rewrite (27) as

$$H_0': \eta = 0.$$
 (28)

It is shown in (Bonett and Price 2002) that an estimate of η , denoted $\hat{\eta}$ has the following confidence interval:

$$\eta \in \mathcal{J} \equiv \left[\widehat{\eta} - z_{\frac{\alpha}{2}} \sigma; \widehat{\eta} + z_{\frac{\alpha}{2}} \sigma \right],$$
(29)

where $z_{\frac{\alpha}{2}}$ is the usual value of the normal distribution at $\frac{\alpha}{2}$ and

$$\sigma^2 = Var[\ln D_-^1] + Var[\ln D_+^1] + Var[\ln D_-^2] + Var[\ln D_+^2].$$
 (30)

With $d_-^1(j)$, $d_+^1(j)$, $d_-^2(j)$ and $d_+^2(j)$ denoting the durations from which the medians D_-^1 , D_+^1 , D_-^2 and D_+^2 are taken. The durations are ordered such that they represent the jth largest value, $j \in \{1, 2, ..., n_x^i\}$, where n_x^i is the number of observations in sample $i \in \{1, 2\}$ and result $x \in \{+, -\}$. Define

$$a_x^i = \frac{n_x^i + 1}{2} - \sqrt{n_x^i},\tag{31}$$

rounded to the next integer and ξ_x^i defined implicitly by $\lambda_x^i = 1 - \Phi(\xi_x^i)$ where

$$\lambda_x^i = \left(\frac{1}{2}\right)^{n_x^i} \sum_{i=0}^{a_x^i - 1} \frac{n_x^i!}{i!(n_x^i - i)!}.$$
 (32)

This gives the variance of the median as

$$Var[\ln D_x^i] = \left(\frac{\ln d_x^i (n_x^i - a_x^i + 1) - \ln d_x^i (a_x^i)}{2\xi_x^i}\right)^2.$$
 (33)

If now $0 \notin \mathcal{J}$ we can reject the hypothesis that $DISPO^1 = DISPO^2$.

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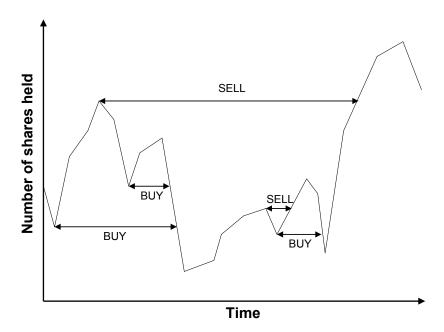


Figure 1: Illustration for the definition of buy and sell strategies

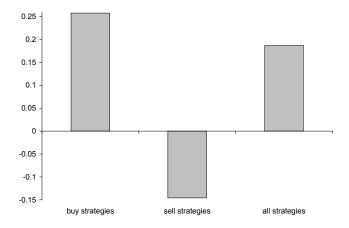
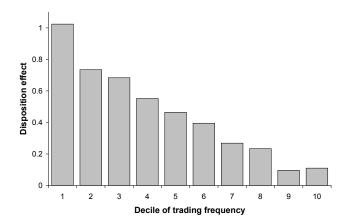
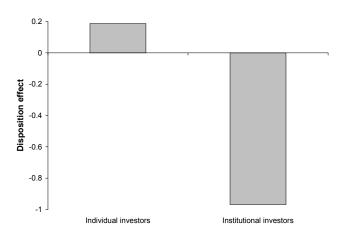


Figure 2: Disposition effect for different trading strategies.

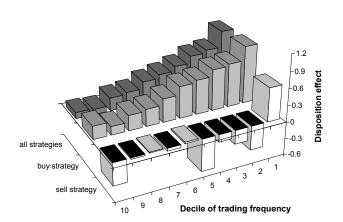


(a) Traders classified according to their frequency of trading.

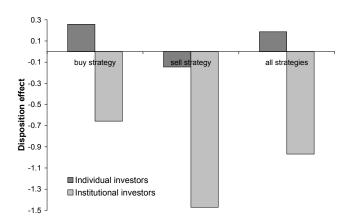


(b) Traders classified according to their type.

Figure 3: Disposition effect for differently experienced traders.



(a) Traders classified according to their frequency of trading.



(b) Traders classified according to their type.

Figure 4: Disposition effect for differently experienced traders, split up by trading strategy.

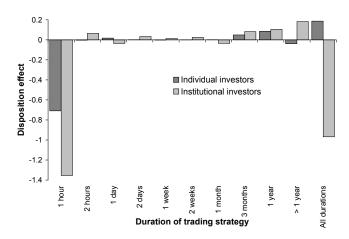
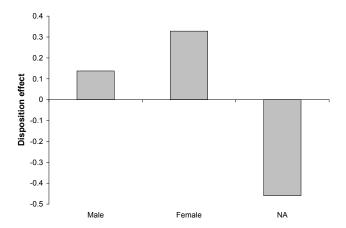
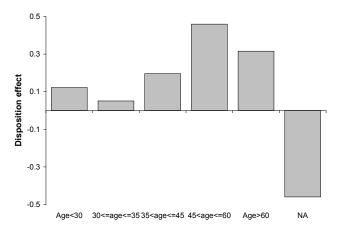


Figure 5: Disposition effect for trading strategies of different length.



(a) Traders classified according to their sex.



(b) Traders classified according to their age.

Figure 6: Disposition effect for investors of different sex and age.

Table 1: Descriptive statistics of data $\,$

	Institutional investors	Individual investors
Number of investors	77	4,542
Number of fund accounts	84	4,575
Number of stock accounts	1,958	10,512
Number of male (female) investors		2,108 (2,078)
Average age of investors		40 years
Total number of trades	63,916	492,258
Total trading volume (shares)	$617,\!476,\!167$	2,269,258,774
Total trading volume (RMB)	9,530,495,153	29,696,700,049
Average capital (RMB)	20,201,406	715,942
Average fraction of capital		
invested into stocks	61%	79%
Average number of stocks held	6.22	2.98
Average time of holding shares	40.37 days	47.95 days

Table 2: Comparison of durations for different trade and trader types

observations (Obs) for each category as well as the resulting DISPO. The final column reports the results of the χ^2 -test on the equality of the characteristics we report the median duration (measured in seconds), the standard deviation of the duration (StdDev) and the number of The below table provides an overview of the data on the duration of loss-making and profit-making trades. For a variety of trade and trader median durations for loss-making and profit-making trades, the equivalent to testing the hypothesis $H_0: DISPO = 0$. ***, **, * denote statistical significance at the 1%, 5% and 10% level, respectively.

		Duration of	Duration of loss-making trades	trades	Duration of	Duration of profit-making trades	trades	DISPO	χ^2 -statistic
		Median	StdDev	Obs	Median	StdDev	Obs		
Trading	Buy	155137	1161410	40844	121730	643830	40775	0.2413	187.5983***
strategy	Sell	111502	979304	6292	139366	1688023	0006	-0.2221	30.3356***
Frequency	1^{st} decile	1650070	2645145	530	535273	1478052	649	1.0202	83.8962***
of trading	2^{nd} decile	841776	1975141	1014	389279	1184456	1368	0.7351	87.7071***
	3^{rd} decile	632528	1779176	1462	310593	1004820	2012	0.6827	84.8250***
	4^{th} decile	452488	1625703	2216	256428	989073	2962	0.5531	71.1704***
	5^{th} decile	328941	1379657	3061	205069	961879	3688	0.4639	73.0069***
	6^{th} decile	259562	1177754	4519	173997	858970	5128	0.3947	83.3541^{***}
	7^{th} decile	168938	1029648	6512	128983	892115	6611	0.2682	40.9440***
	8^{th} decile	137143	920273	9723	108452	885697	9850	0.2336	51.8101***
	9^{th} decile	94559	810515	7784	85921	1014786	6722	0.0957	5.4338**
	10^{th} decile	70120	711564	11702	62793	863739	10782	0.0551	10.7841^{***}
Type of	Individual	149942	1143982	47189	124336	946300	48899	0.1867	137.0233***
${ m trader}$	Institutional	46584	133382	1334	133382	774772	928	-0.9646	61.2742^{***}
Sex of	Male	131511	107201	24622	114561	958629	23827	0.1378	39.3758***
${ m trader}$	Female	185600	1232212	19965	133260	943487	22886	0.3283	182.1019***
	NA	91741	971721	3936	146549	816080	3062	-0.4600	59.4585***
Age of	< 30 years	144192	1181693	4979	127505	916351	4493	0.1228	5.2169**
${ m trader}$	30-35 years	126085	1069726	12467	119858	917541	11605	0.0506	2.8553*
	35-45 years	159411	1183480	13873	130832	983502	15260	0.1969	44.3155***
	45 - 60 years	167368	1163798	8918	104820	919462	10534	0.4596	169.2156***
	> 60 years	200838	1171750	4350	146239	1023101	4821	0.3146	48.9233***
	NA	91741	971721	3936	146549	816080	3062	-0.4600	59.4585***
All trades	All trades and traders	146583	1135716	48523	124485	943548	49775	0.1630	102.5037***

Table 3: Comparison of durations for different trading lengths

column reports the results of the χ^2 -test on the equality of the median durations for loss-making and profit-making trades, the equivalent to testing the hypothesis $H_0: DISPO = 0$.

***, **, * denote statistical significance at the 1%, 5% and 10% level, respectively. The below table provides an overview of the data on the duration of loss-making and profit-making trades. For a variety of trade and trader characteristics we report the median duration (measured in seconds), the standard deviation of the duration (StdDev) and the number of observations (Obs) for different trading lengths, divided into individual and institutional traders as well as the resulting DISPO. The final

		Duration of	Duration of loss-making trades	rades	Duration of I	Duration of profit-making trades	${ m trades}$	OISPO	χ^2 -statistic
		Median	StdDev	Obs	Median	StdDev	Obs		
Individual	< 1 hour	964	1116	1235	2010	1000	852	-0.7034	126.3639***
investors	1-2 hours	5480	1045	872	5495	1037	866	-0.0027	0.0344
	2 hours - 1 day	11572	2119	2562	11348	2112	2900	0.0195	3.6022*
	1-2 days	20736	4332	4796	20672	4353	5343	0.0031	0.0434
	2 days - 1 week	46211	12431	7370	46275	12410	8613	-0.0014	0.0462
	1-2 weeks	101825	20713	6388	101773	20620	7293	0.0005	0.0123
	2 weeks - 1 month	209122	45574	6495	208850	45434	7745	0.0013	0.0230
	1-3 months	518449	177911	9128	493593	175191	9202	0.0491	34.2212^{***}
	3 months - 1 year	1618351	726334	6951	1486163	688449	5137	0.0852	51.2268***
	> 1 year	5251248	1683329	1392	5468474	1972067	816	-0.0405	2.8070*
Institutional	< 1 hour	376	931	325	2220	992	22	-1.4206	19.5360***
investors	1-2 hours	5163	1045	09	4941	1004	32	0.1627	0.1917
	2 hours - 1 day	10941	2179	91	11628	2098	55	-0.0609	1.4294
	1-2 days	20105	3864	115	19532	4240	85	0.0289	0.2683
	2 days - 1 week	46819	12943	155	46204	12341	144	0.0132	0.0309
	1-2 weeks	104439	20390	131	102139	20829	112	0.0223	0.9414
	2 weeks - 1 month	199329	48988	105	206384	46098	128	-0.0348	0.1127
	1-3 months	550266	167924	196	509341	179873	194	0.0772	4.9642**
	3 months - 1 year	1513258	611836	140	1331100	605412	94	0.1281	4.5520**
	> 1 year	5116372	815877	16	4355204	1167605	13	0.1607	0.9089

Table 4: Comparison of the strength of the disposition effect

This table shows the results of tests for statistical significance of differences in the disposition effect, DISPO. The test procedure used is detailed in the appendix.

***, **, * denote statistical significance at the 1%, 5% and 10% level, respectively.

(a)) Trading freque	ncy	(b) Duration of trading strategies	ding strategies	
Deciles tested	Deciles tested Test statistic Stan	statistic Standard error	Durations tested	Test statistic	Test statistic Standard error
$1^{st} \text{ vs } 2^{nd}$	0.3546**	0.1419	< 1 hour vs 1 - 2 hours	-0.8693***	0.611
$2^{nd} \text{ vs } 3^{rd}$	0.0600	0.1123	1-2 hours vs 2 hours - 1 day	-0.0144	0.0175
$3^{rd} \text{ vs } 4^{th}$	0.1433	0.0966	2 hours - 1 day vs 1 - 2 days	0.0125	0.0120
$4^{th} \text{ vs } 5^{th}$	0.0954	0.0860	1-2 days vs 2 days - 1 week	0.0024	0.0105
$5^{th} \text{ vs } 6^{th}$	0.0726	0.0732	2 days - 1 week vs 1 - 2 weeks	-0.023	0.0095
$6^{th} \text{ vs } 7^{th}$	0.1301**	0.0605	1-2 weeks vs 2 weeks - 1 month	0.0005	0.088
$7^{th} \text{ vs } 8^{th}$	0.0351	0.0548	2 weeks - 1 month vs 1 - 3 months	-0.0492***	0.0109
$8^{th} \text{ vs } 9^{th}$	0.1389**	0.0539	1-3 months vs 3 months - 1 year	-0.0356***	0.0131
$9^{th} \text{ vs } 10^{th}$	-0.0146	0.0520	3 months - 1 year vs > 1 year	0.1193***	0.0625

(c) Age o	(c) Age of traders		(d) Other characteristics	racteristics	
Ages tested	Test statistic	Test statistic Standard error	Chracteristics tested	Test statistic	
< 30 years vs 30 - 35 years	0.0723	0.625	Institutional vs individual traders	1.2392***	
30 - 35 years vs $35 - 45$ years	-0.1469***	0.0419	Buy vs sell strategy	0.4656^{***}	
35 - 45 years vs $45 - 60$ years	-0.2704***	0.0472	Male vs female traders	0.1933***	
45 - 60 years vs > 60 years	0.1507**	0.0670			

Standard error

0.1434 0.0463 0.0319

Table 5: Correlation of explanatory variables

The tables below show the χ^2 -statistic to test for the independence of the explanatory variables trading strategy (STRAT), the trading frequency (FREQ), the duration of the strategy (DURA), the age (AGE), the sex (SEX), and whether the trader is an institutional investor or individual investor (INST).

***, **, * denote statistical significance at the 1%, 5% and 10% level, respectively.

(a) Correlation of explanatory variables for individual investors

` /		- 0			
	STRAT	FREQ	DURA	AGE	SEX
STRAT		16.8135*	0.2331	7.9259*	7.4449***
FREQ			15.538	14.2229	7.7561
DURA				9.5448	7.7668
AGE					0.1671
SEX					

(b) Correlation of explanatory variables for institutional investors

	STRAT	FREQ	DURA
STRAT		3.8270	0.5504
FREQ			9.2483
DURA			

(c) Correlation of explanatory variables for all investors

	STRAT	FREQ	DURA	INST
STRAT		1.0351	0.1952	2.0536
FREQ			2.3318	27.704***
DURA				1.6266
INST				

Table 6: Regression analysis of the disposition effect

The table below shows the coefficients from a number of regressions of the disposition effect (DISPO) on the trading strategy (STRAT) which is 1 for a buy strategy and zero for a sell strategy, the trading frequency (FREQ) ranging from 1 for the highest decile to 10 for the lowest decile, the duration of the strategy (DURA) ranging from 1 for duration of less than an hour to 5 for duration of more than 3 months, the age (AGE) ranging from 1 for traders below 30 years to 5 for traders above 60 years, the sex (SEX) which 1 for male and zero for female, and whether the trader is an institutional investor or individual investor (INST).

***, **, * denote significance of the coefficients at the 1, 5 and 10% level, respectively. We use White heteroskedasticity consistent standard errors and covariances.

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CONST -0.10	-0.1055***	0.0502	-0.0905***	-0.0566	-0.1803***	-0.0282	-0.1339***	-0.1004^{**}
STRAT	0.1742^{***}				0.1734***		0.1701***	0.1704***
FREQ		-0.0107**		-0.0079		-0.0098**	-0.0070*	-0.0068
DURA			0.0251^{***}		0.0244***	0.0236**	0.0234**	0.0238***
AGE								-0.0113
SEX								-0.0056

(b) Regressions with institutional investors (sample size 36)

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	Т	7	.ro	4	ဂ	9	7
LSNOC	-0.0953	0.6252**	9600.0	0.5285	-0.0647	+0.6670*	0.5763
STRAT	0.1446			0.0793	0.1477		0.0832
FREQ		-0.0774**		-0.0718**		-0.0781**	-0.0723**
DURA			0.0039		0.0102	0.0115	-0.0145

(c) Regressions with all investors (sample size 136)

	•	6	c	7	ĸ	y	7	œ
	7	1		-	0		-	
CONST	-0.1184^{***}	0.0168	-0.1073	-0.0792	-0.1971**	-0.0693	-0.1573	-0.1544
STRAT	0.1824***			0.1828***	0.1799***		0.1803***	0.1789***
FREQ		-0.0060		-0.0064		-0.0062	-0.0065	-0.0074
DURA			0.0284		0.0262	0.0286	0.0264	0.0262
INST								0.0131

Table 7: Regression analysis of the disposition effect for trading strategies involving long and short positions

the highest decile to 10 for the lowest decile, the duration of the strategy (DURA) ranging from 1 for duration of less than an hour to 5 for duration of The table below shows the coefficients of a number of regressions of the disposition effect (DISPO) on the trading frequency (FREQ) ranging from 1 for more than 3 months, the age (AGE) ranging from 1 for traders below 30 years to 5 for traders above 60 years, the sex (SEX) which 1 for male and zero for female, and whether the trader is an institutional investor or individual investor (INST). For institutional investors we set the age and sex equal to zero. ** * * * * * denote significance of the coefficients at the 1, 5 and 10% level, respectively.

(a) Trading strategies with short positions (sell strategies) of individual traders (sample size 476)

(b) Trading strategies with long positions (buy strategies) of in-

	CONST	FREQ	DURA	AGE	SEX
4	-0.0877	-0.0052	-0.0342^{**}	-0.0187	-0.0029
က	-0.0374	-0.0059	-0.0348**		
2	-0.0011		-0.0341**		
П	-0.0771	-0.0046			
	CONST	FREQ	DURA	AGE	SEX

CONST	0.1278***	-0.1698**	-0.1248*** -0.0072**	-0.1053*** $-0.0072**$
DURA AGE SEX		0.0771***	0.0758***	$0.0760*** \\ -0.0051 \\ -0.0099$
(d) Trading (buy strateg ple size 13)	(d) Trading strategies with long positions (buy strategies) of institutional traders (sample size 13)	s with long itutional trac	positions ders (sam-	
	1	2	3	
CONST	0.4433	-0.1424	0.2473 -0.0466	
DURA		0.0580	0.0498	

(c) Trading strategies with short positions (sell strategies) of institutional traders (sam-

ple size 23)

	1	2	3
CONST	1.3108	0.2781	1.4794
FREQ	-0.1618		-0.1450
DURA		-0.1245	-0.1047

(e) Trading strategies with short positions (sell strate-

gies) of all traders (sample size 63)

Jo	
y strategies)	
(a)	
positions	
long po	
with	3 73)
strategies	sample size
Trading	traders (
(f)	all

1	2	3	4
-0.1474	-0.0749	-0.1040	-0.1012
0.0047		0.0048	0.0037
	-0.0145	-0.0146	-0.0146
			0.0172

	П	2	3	4
CONST	0.1679**	-0.1283*	-0.0231	-0.0234
FREQ	-0.0167^{*}		-0.0172^{**}	-0.0171**
DURA		0.0621^{***}	0.0627***	0.0627***
INST				-0.0016